

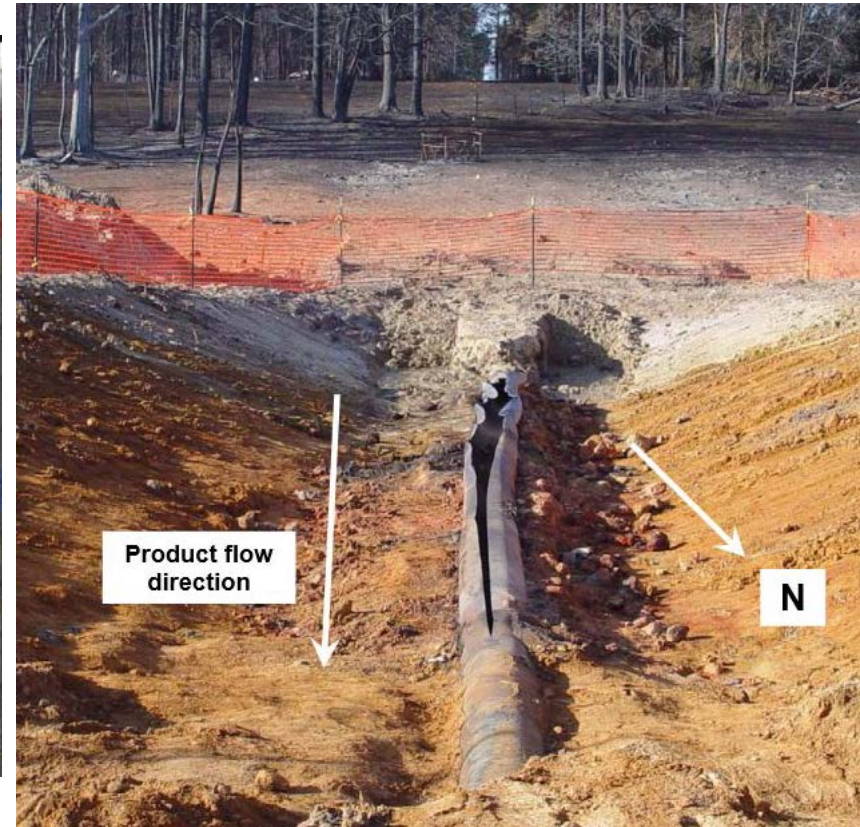
Structural Analysis and Component Strength of Energy Systems

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Failure scenarios of pipeline systems



Failure due to stress corrosion

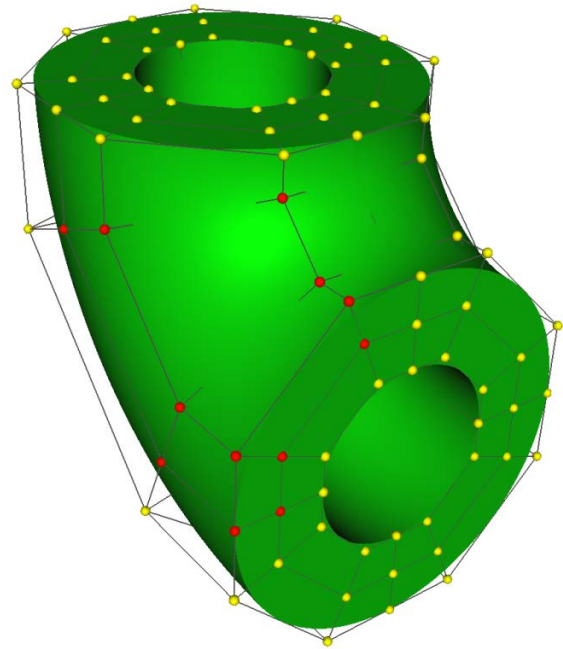


Failure due to physical damage

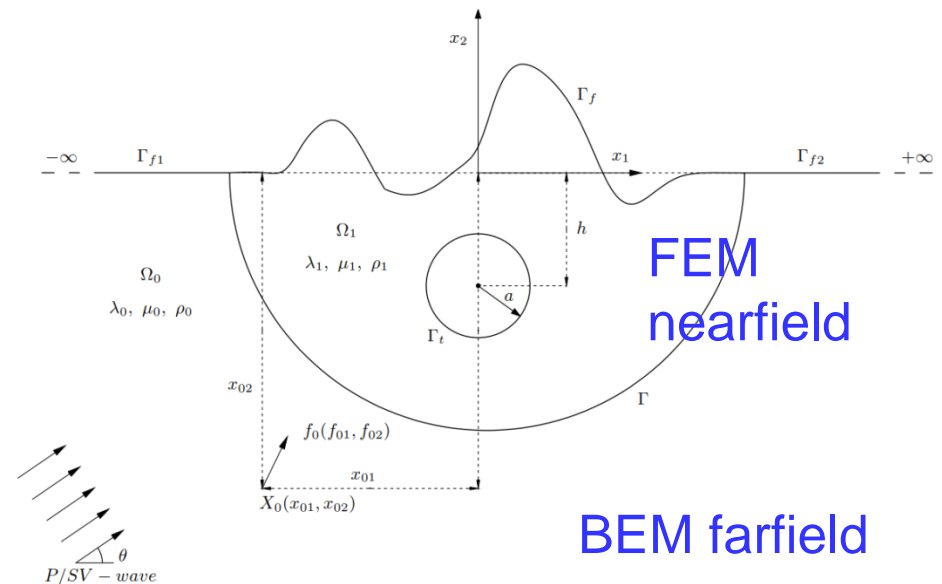
Source: Metropolitan Engineering, Consulting and Forensic

Structural Analysis:

- Geometric description of NG pipeline systems in 3D
Isogeometric Finite Element formulation for multiple inconsistent patches



- Interaction effects between pipeline and soil
Isogeometric FEM in nearfield plus coupling with Boundary Element in farfield



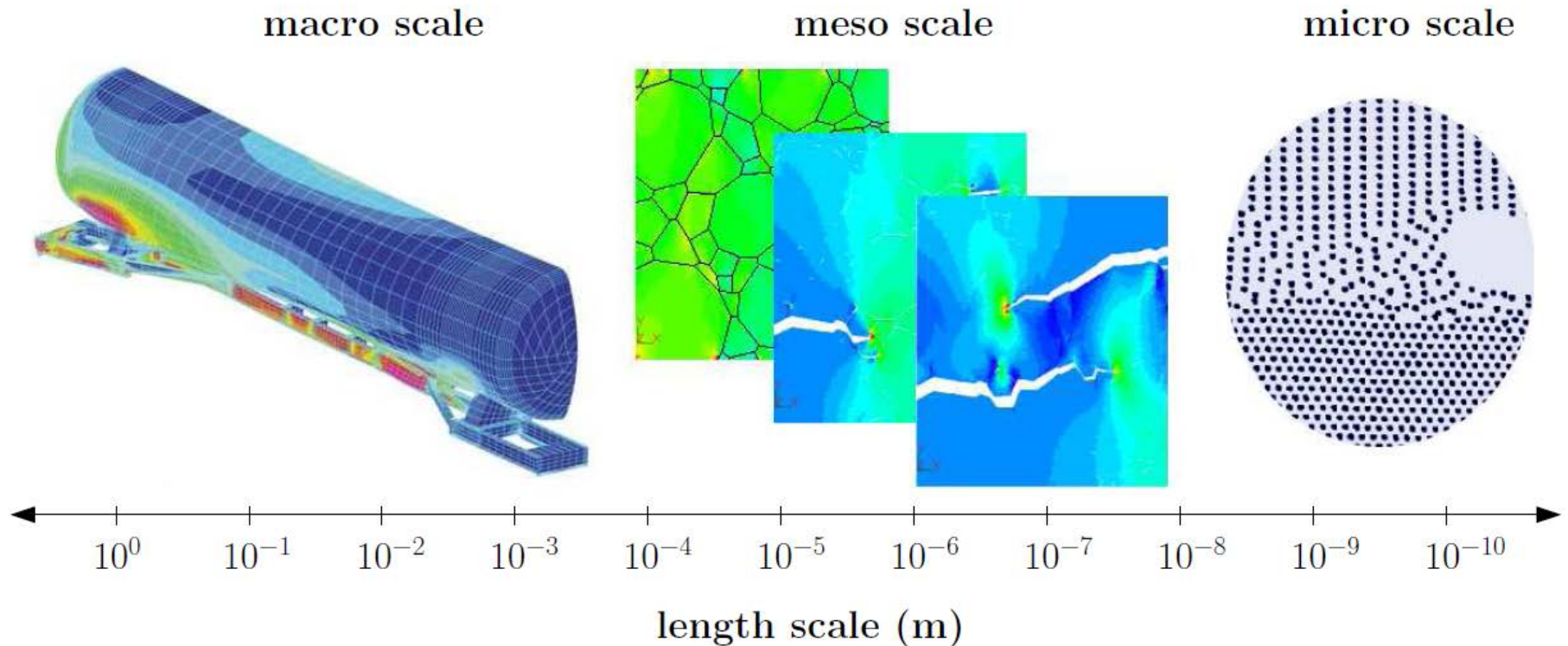
M. Schwedler, BU Weimar

M. Basnet, BU Weimar and CU Kiel

Component Strength:

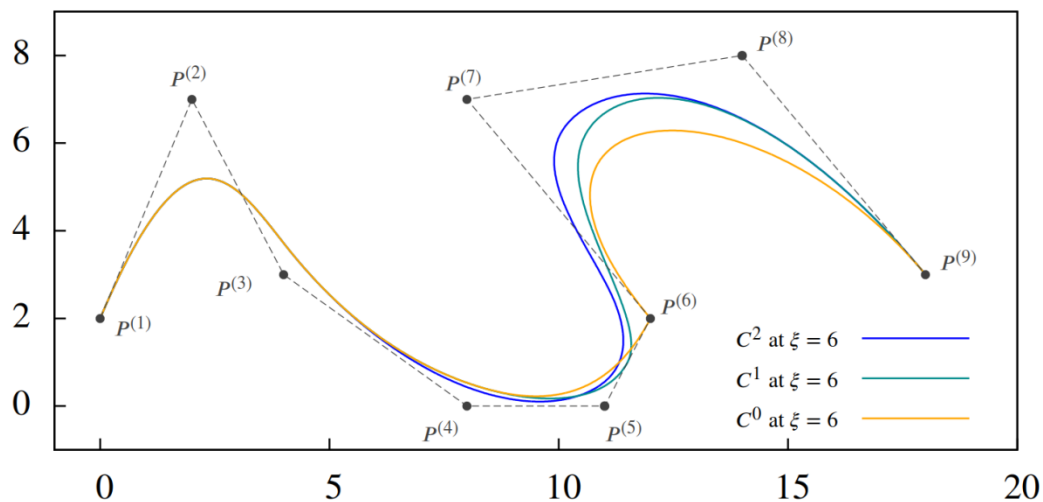
High fidelity material models for ultimate limit scenarios

Hierrachical material models for damage and fracture phenomena in polycrystal materials

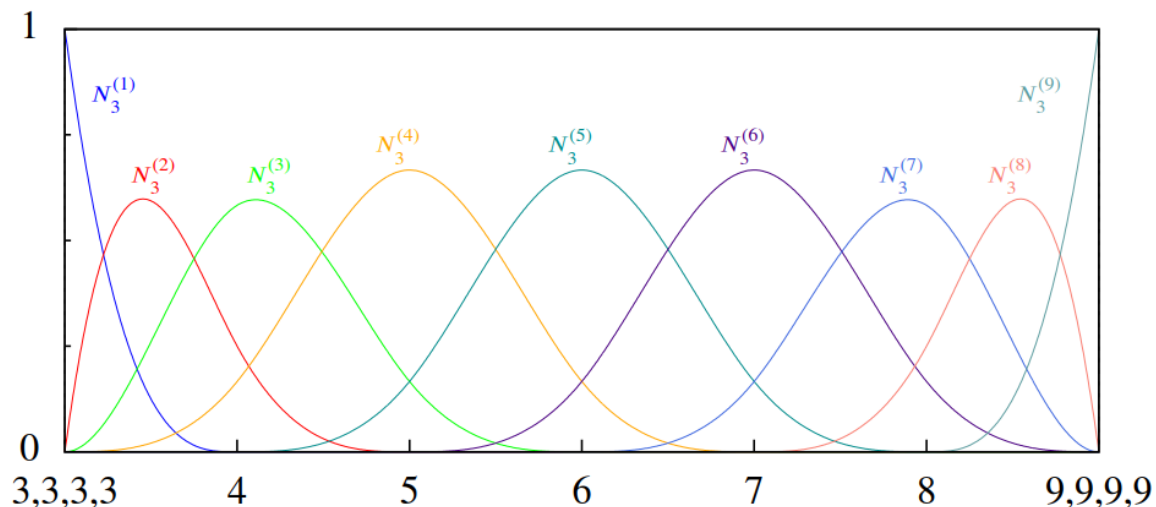


Isogeometric FEM with multiple inconsistent patches:

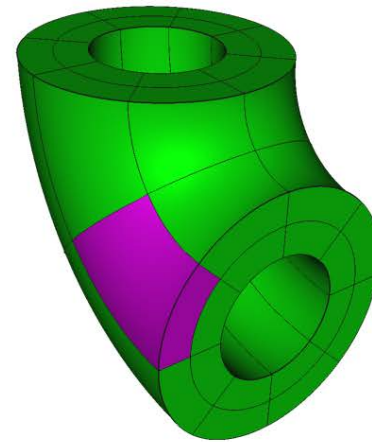
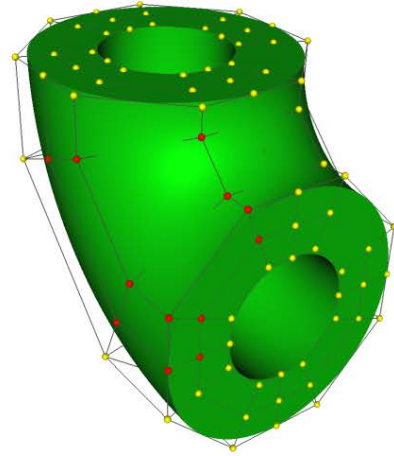
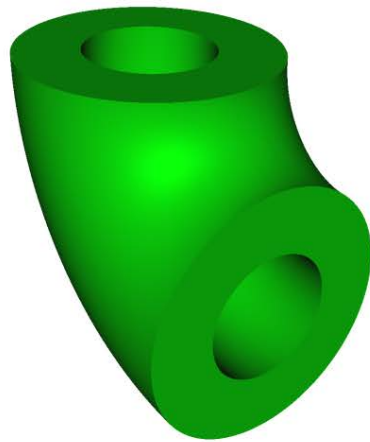
B-Spline basis,
polynomial of order 3



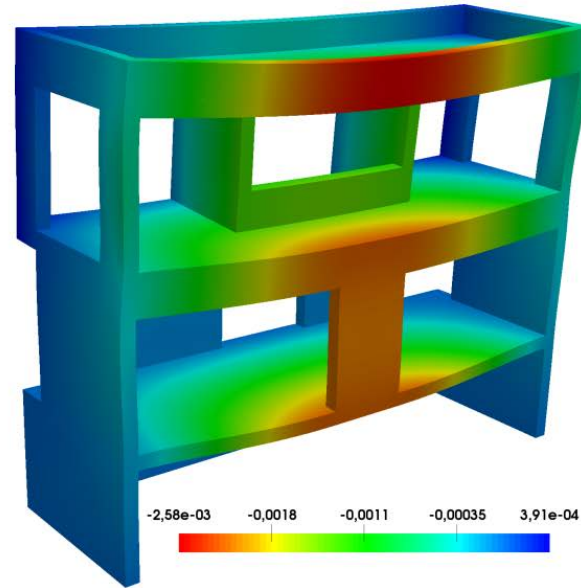
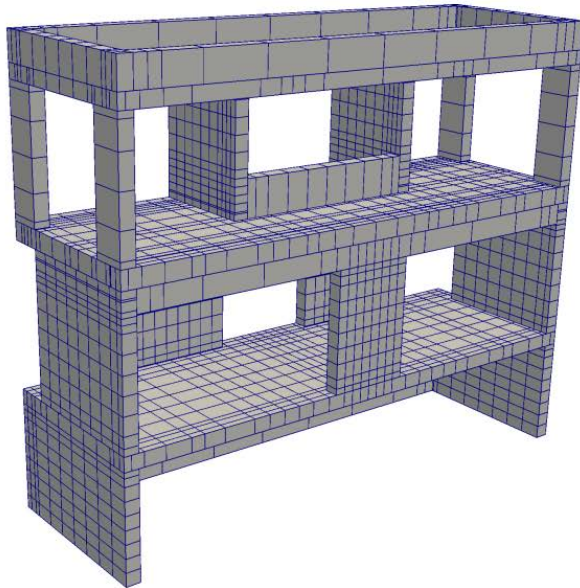
B-Spline basis, polynomial of order 3



Isogeometric FEM with multiple inconsistent patches:



Single patch



Multiple patches

Isogeometric FEM with multiple inconsistent patches:

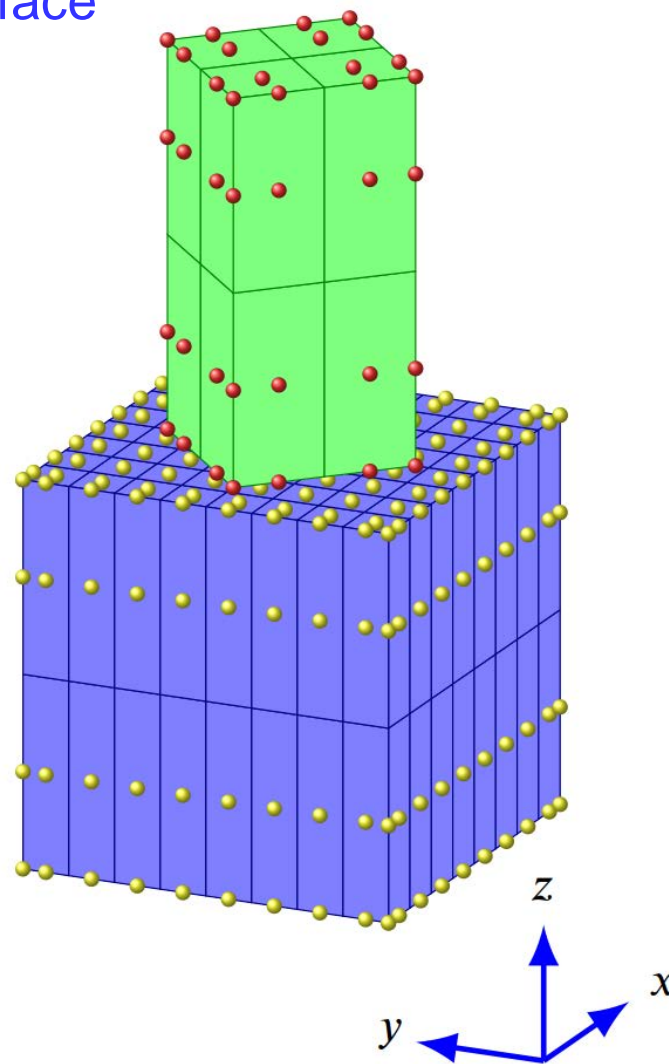
Two patches with coupling surface

Mortar coupling

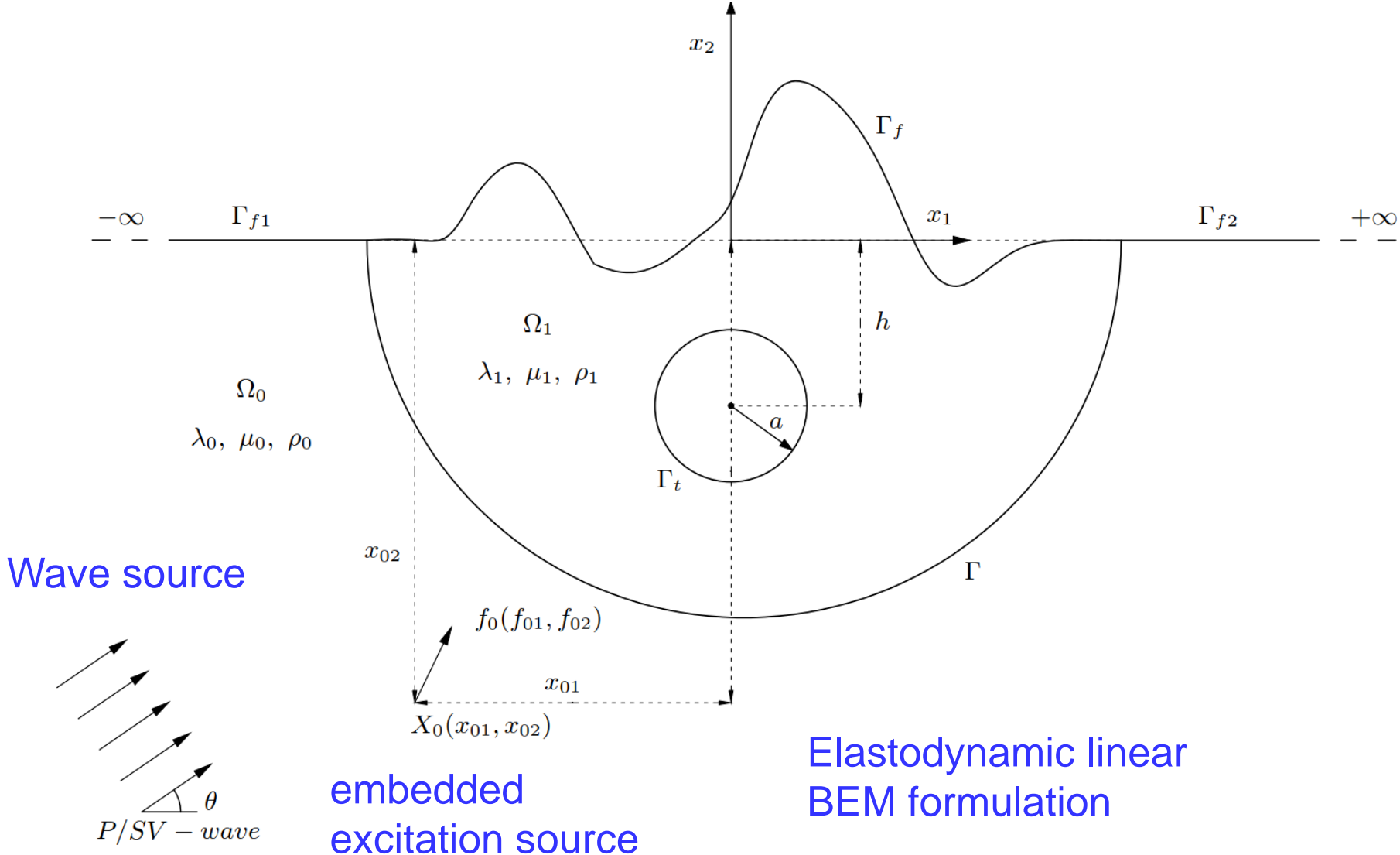
$$\int_{\Gamma_c} \delta \lambda (\mathbf{u}^{(i)} - \mathbf{u}^{(j)}) \, d\Gamma_c = 0$$

$$\forall i, j \in 1 \dots n_{sub} \quad \text{with} \quad i \neq j,$$

$$\begin{bmatrix} \mathbf{K}^{(i)} & \mathbf{0} & \mathbf{m}^{(i)T} \\ \mathbf{0} & \mathbf{K}^{(j)} & \mathbf{m}^{(j)T} \\ \mathbf{m}^{(i)} & \mathbf{m}^{(j)} & \mathbf{0} \end{bmatrix} \begin{bmatrix} \tilde{\mathbf{q}}^{(i)} \\ \tilde{\mathbf{q}}^{(j)} \\ \tilde{\lambda}^{c,(i,j)} \end{bmatrix} = \begin{bmatrix} \tilde{\mathbf{g}}^{(i)} \\ \tilde{\mathbf{g}}^{(j)} \\ \mathbf{0} \end{bmatrix},$$



FEM / BEM coupling



embedded
excitation source

Elastodynamic linear
BEM formulation

FEM / BEM coupling

Complex stiffness and force matrix for Boundary element region

$$\hat{H}_{ij} = \int_{\Gamma_j} P_{lk}^*(X^{(i)}, \xi^{(j)}, \omega) |J| d\Gamma_j$$

$$G_{ij} = \int_{\Gamma_j} U_{lk}^*(X^{(i)}, \xi^{(j)}, \omega) |J| d\Gamma_j$$

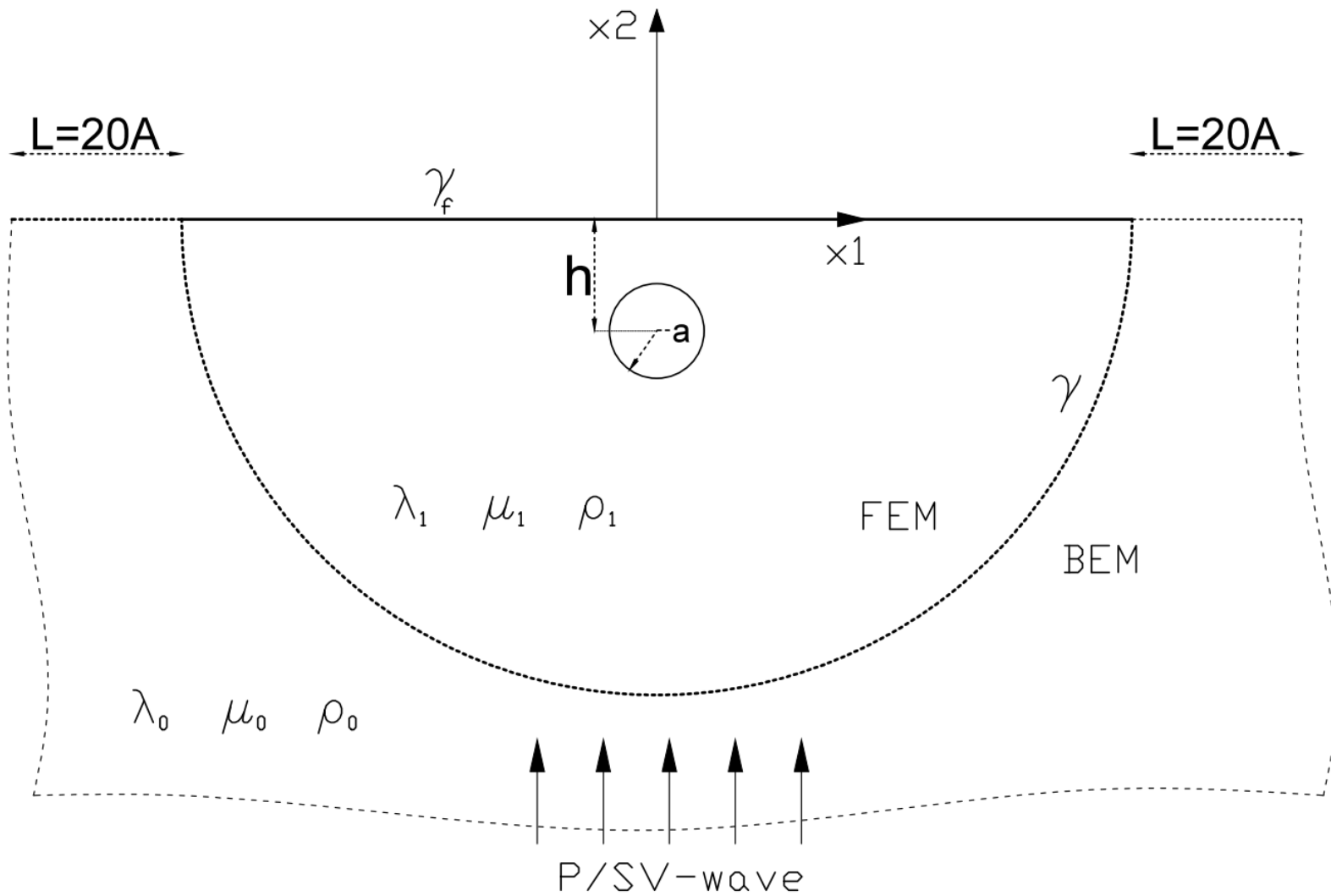
$$[K] = - [G_f]^{-1} [H] \quad \text{Stiffness}$$

$$[F] = - [G_f]^{-1} [F^{ff}] \quad \text{Force}$$

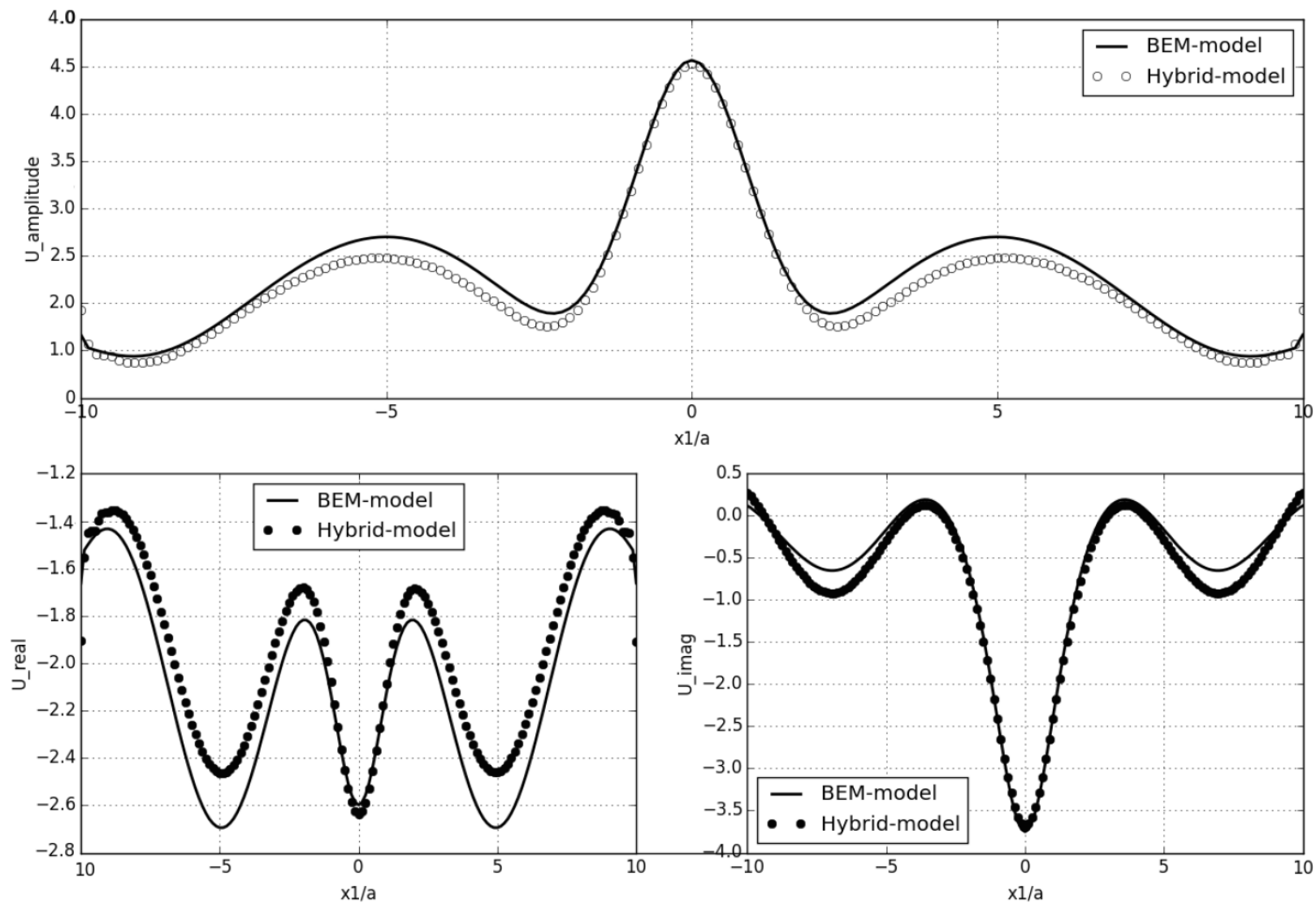
Condensed to interface degrees of freedom

Added to the global system matrices of the FEM region

2D Example



2D Example



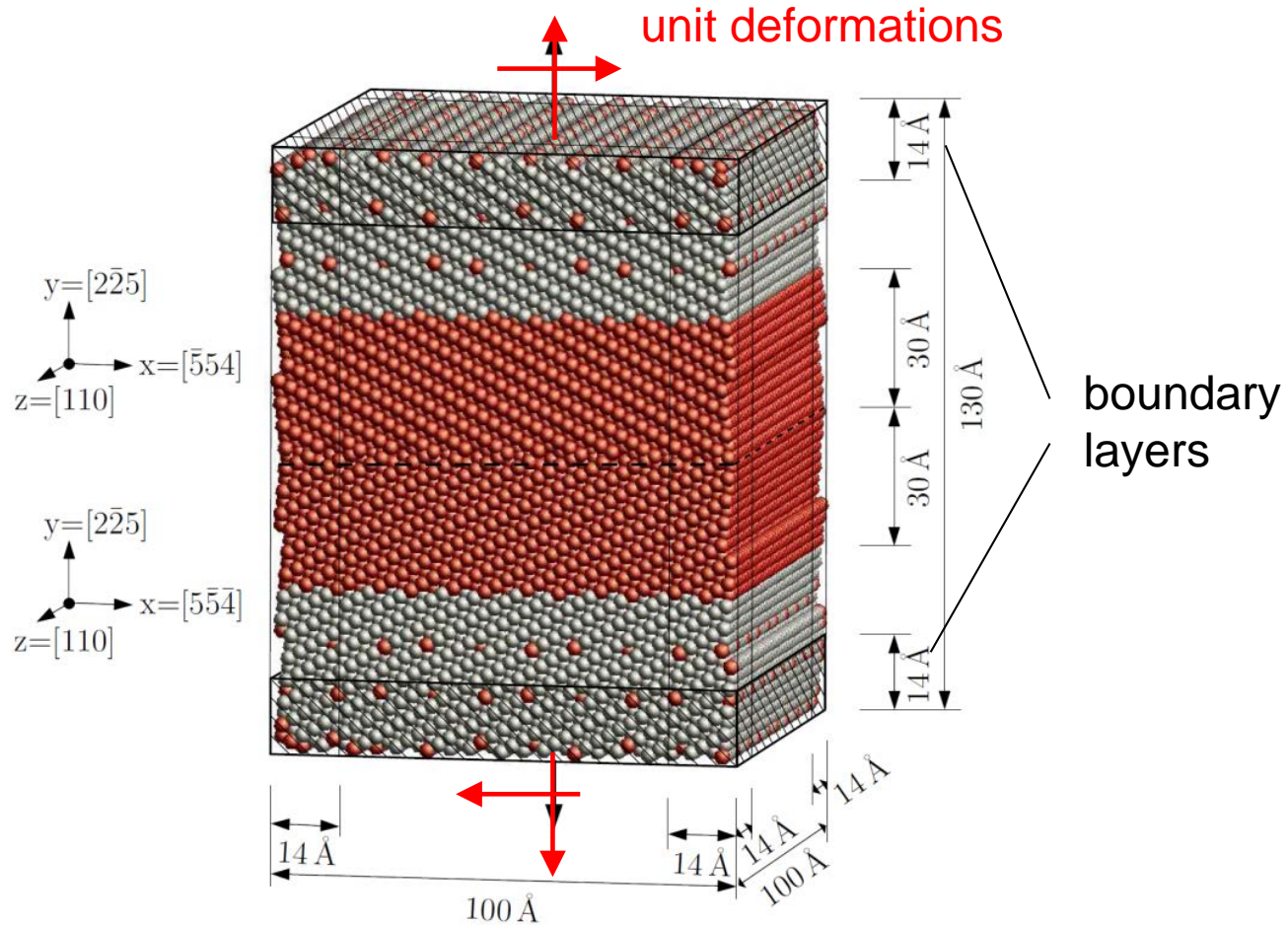
Quasicontinuum-model on nanoscale apply unit deformations – determine reaction forces

atomistic unit cell in the vicinity of grain
boundary with approx. 80 000 atoms

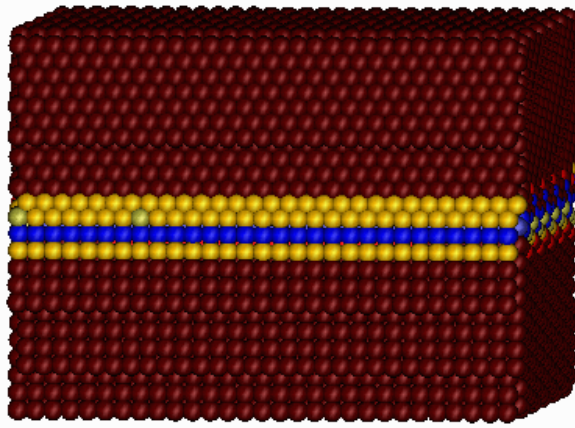
quasicontinuum method

full atomistic resolution

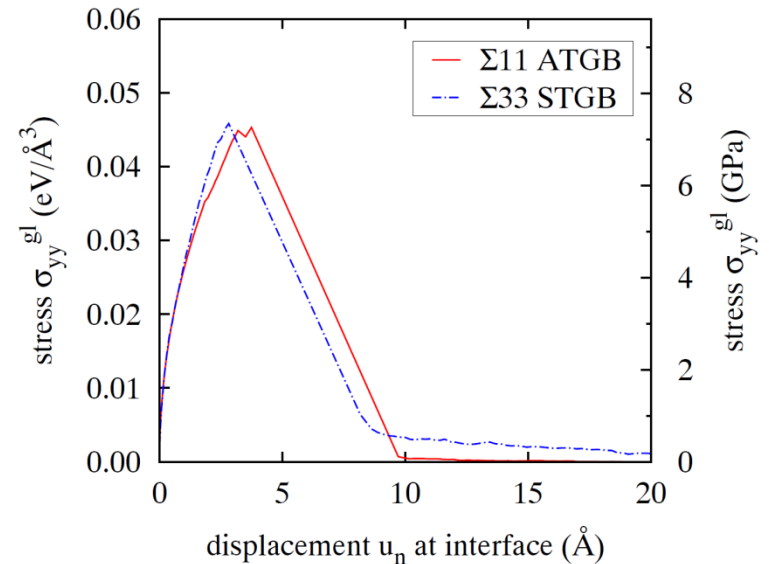
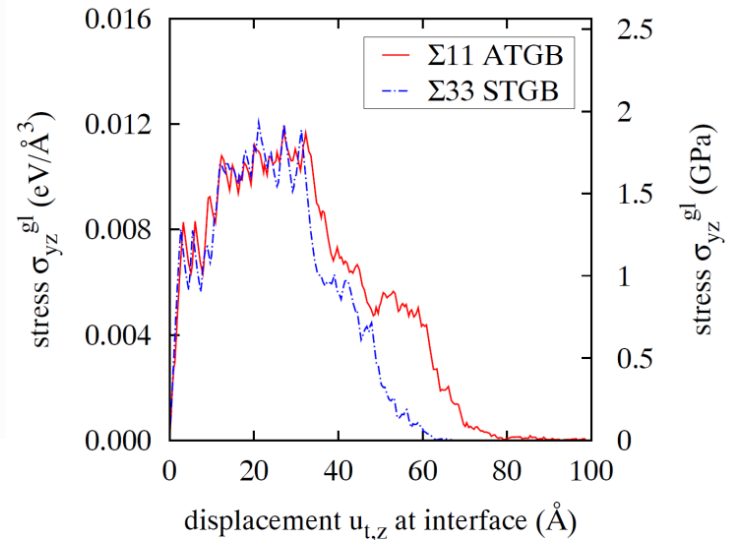
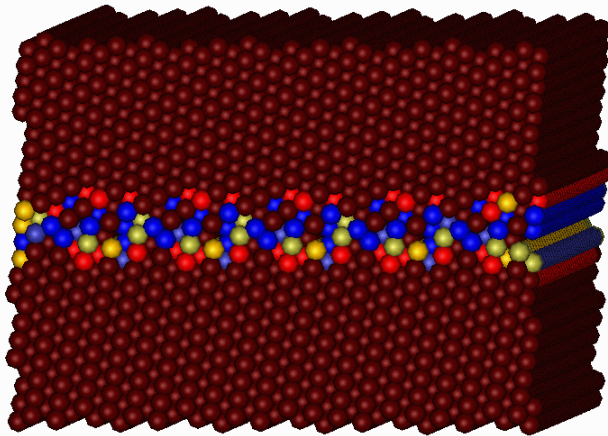
quasicontinuum method



Evolution of potential energy in atomic lattice – shear deformation z-axis shear deformation in z-direction



normal deformation in y-direction

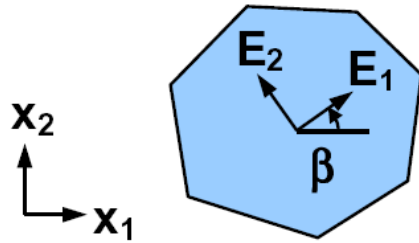


material models for mesoscale grain model

single crystals

orthotropic material behavior:

- linear elastic
- elastic-plastic (Hill)

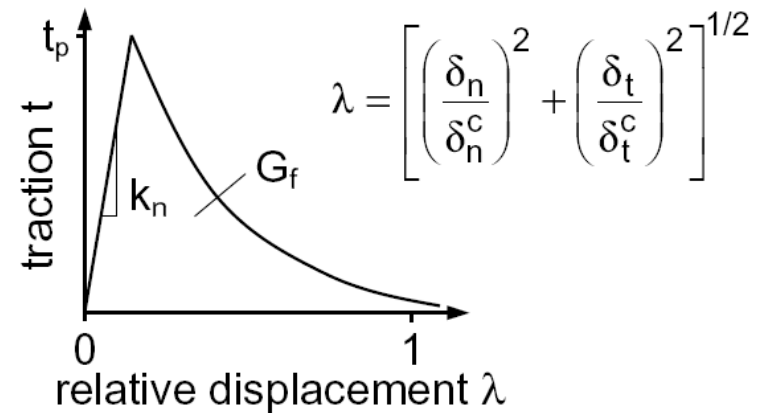


statistical distribution of:

- crystal orientation
 $0 \leq \beta \leq \pi$
- material properties
 $E_1, E_2, G_{12}, \sigma_{yield}$
(normal distribution)

interfaces

coupled cohesive zone model
(according to Tvergaard)



peak strength depending on
missorientation $\Delta\beta$ between
neighboring crystals:

$$\Delta\beta = \beta_1 - \beta_2$$

$$t_p(\Delta\beta) = t_p^{avg} + \Delta t_p \cos(4\Delta\beta)$$

phenomenological approach

grain model on mesoscale: tensile load in y-direction

